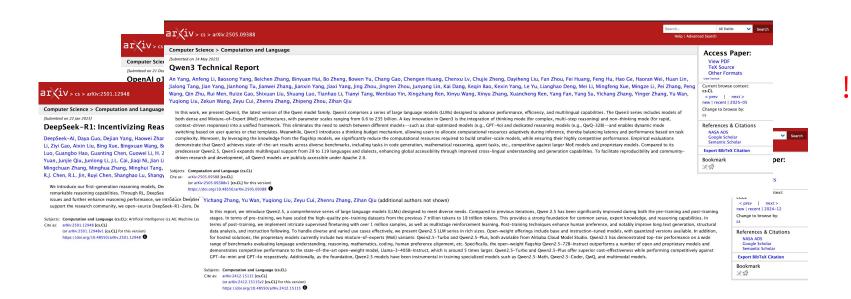
Rethinking Reasoning Models

Harman Singh, Dennis Jacob
Oct 2nd

Recap of reasoning models

State of the field...

Last year saw a flurry of models that can "reason"



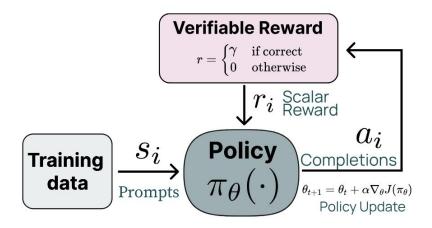
The Qwen model family

- An open source family of models from Alibaba
- Strong performance on math benchmarks that require "symbolic manipulation and multi-step logical deduction"
 - **MATH-500**: verifiable problems that vary in subject and difficulty
 - AIME & AMC: math competitions for high schoolers



Context and Primer on RLVR/Reasoning Models

- RLVR = train LLMs with verifiable outcome rewards (e.g., correctness checks for math).
- are we teaching new reasoning, or just surfacing latent capabilities?



Lambert et. al. 2024

Spurious rewards

Shao et. al.

Spurious Rewards

TL;DR: Spurious rewards (i.e. other than answer correctness rewards) can produce large MATH gains in Qwen2.5 — but effects are model-dependent.

This Presentation:

- 1. Main Claims
- Experiments Performed
- 3. Ablations (Deep Dive)

Experimental setup

Models: Qwen2.5-Math (1.5B & 7B), Qwen general variants, Llama3, OLMo2.

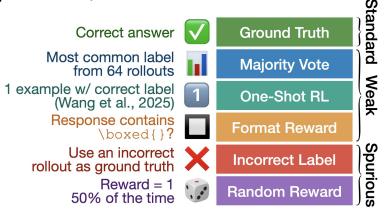
RL algorithm: GRPO training for ~300 steps

Dataset: DeepScaleR subset. Eval: Math500, AMC, AIME

Experimental setup

How are Weak Rewards and Spurious Rewards applied in training

- Data: $\{P_i, G_i\}, i \in \{1, 2,, D\}$
- Rollouts: R_j, j ∈ {1, 2,, N} obtained from a Prompt
- Spurious/Weak Rewards:



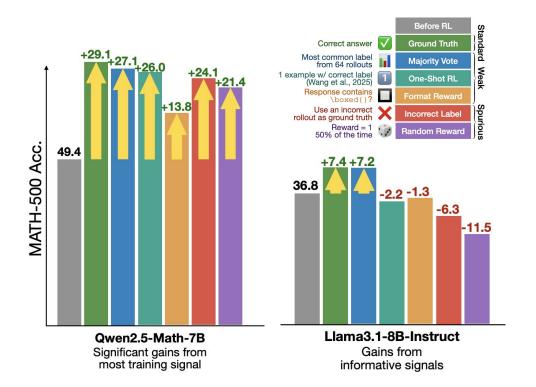
Do not depend on Ground Truth (G_i)

Main Claims

Main claim: Even random/incorrect/format rewards can yield large improvements on MATH-500 for Qwen2.5-Math models (e.g., +21% for random rewards).

<u>Nuance:</u> Effect is model-dependent — does not generalize fully to Llama3 or OLMo2 in their experiments.

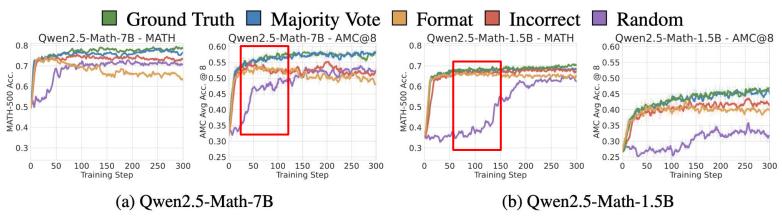
Key results and Learning Curves



- Qwen models show large improvements in performance with spurious rewards
- This effect does not generalize to other models like Llama.

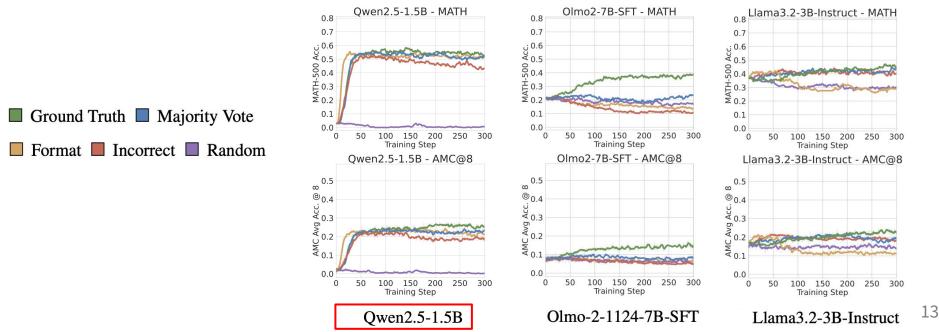
Key results and Learning Curves

Learning curves:



- Qwen models show fast gains across reward types
- Random reward converges slower but still gives large gains
- Support for hypothesis: RLVR may only elicit reasoning learned in pre- and post- training

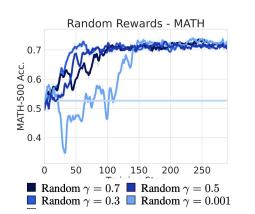
Key results and Learning Curves - Generalization to Other models

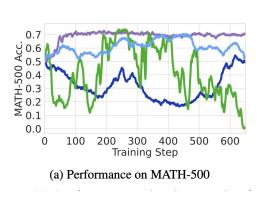


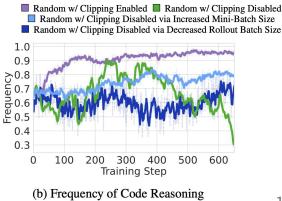
- Non-MATH Qwen models improve with spurious rewards
- Non-Qwen models often do not improve or even degrade.

Ablations Deep Dive - 1. Random reward + clipping

- Train with Bernoulli(γ) random rewards (varying γ) independent of correctness → Improved MATH Performance
- GRPO's clipping mechanism → introduces nonzero expected gradient bias toward high-prior (already probable) outputs (e.g. Code)
- Disabling Clipping → reduces consistency of gains







Ablations Deep Dive - 1. Code Reasoning (RLVR upweights pre-training biases)

MATH Question:

What is the distance, in units, between the points (2, -6) and (-4, 3)? Express your answer in simplest radical form.

Qwen2.5-Math-7B Solution (correct):

To find the distance between two points (x_1, y_1) and (x_2, y_2) in a Cartesian plane... Let's break this down step-by-step and compute the result using Python.

```
import math
...

# Calculate the distance using the distance formula
distance = math.sqrt(dx**2 + dy**2)
print(distance)
```

output: 10.816653826391969

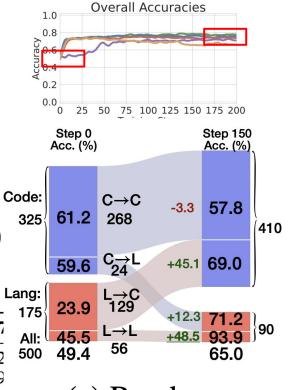
Thus, the final answer is: $3\sqrt{13}$

Ablations Deep Dive - 1. Case study: Code Reasoning (RLVR upweights pre-training biases)

Observations:

- Qwen2.5-Math frequently produce Python-like code as CoT, answers that include code have much higher accuracy.
- RLVR (even with spurious rewards) increases the frequency of code reasoning (from ~65% → >90%) and this correlates with improved performance.

Model	Qwen2.5-Math-7B	Qwen2.5-Math-1.5B	Qwen2.5-7
Code Frequency	65.0	53.6	92
Acc. w/ Code	60.9	52.6	39
Acc. w/ Lang	35.0	17.2	61



■ Ground Truth ■ Majority Vote ■ Format ■ Incorrect ■ Random

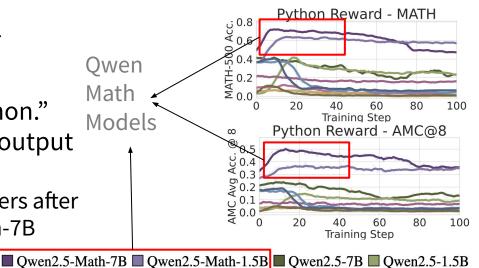
Ablations Deep Dive - 2. Causal Intervention on code reasoning

Hypothesis: Code Reasoning drives Qwen2.5-Math-7B's performance when doing RLVR w/ Spurious rewards

Model	Original	Prompting	Abs. Diff.
Qwen2.5-Math-1.5B	36.2%	60.4%	+24.2%
Qwen2.5-Math-7B	49.4%	64.4%	+15.0%
Qwen2.5-1.5B	3.0%	13.0%	+10.0%
Qwen2.5-7B	41.6%	22.2%	-19.4%
Llama3.2-3B-Instruct	36.8%	8.2%	-28.6%
Llama3.1-8B-Instruct	36.8%	15.2%	-21.6%

Causal Induction of Code Reasoning → increases MATH accuracy

- Prepend "Let's solve this using Python."
- RL reward = 1 whenever generated output contains "python"
 - → code reasoning in > 99% of answers after
 20 training steps for Qwen2.5-Math-7B



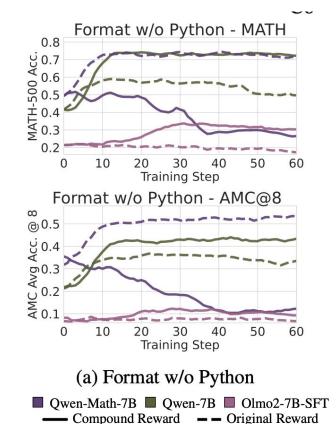
■ OLMo2-7B ■ Llama3.1-8B ■ Llama3.2-3B ■ Llama3.1-8B-Instruct

Ablations Deep Dive - 2. Causal Intervention on code reasoning

Hypothesis: Code Reasoning drives Qwen2.5-Math-7B's performance when doing RLVR w/ Spurious rewards

Causal Inhibition of Code Reasoning → decreases MATH accuracy

- compound reward = (original reward) ∧
 (no occurrence of "python" in output)
- Penalizing code reasoning degrades Qwen-Math but improves other models.



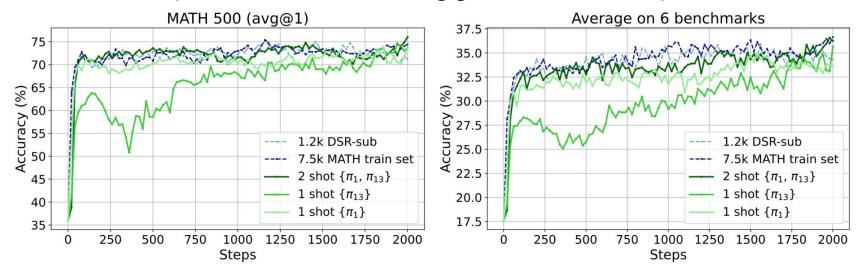
Incorrect Rewards - Why do they work?

 Incorrect labels are obtained from majority voting, and may still be close to ground truth answer.

 Incorrect labels might function like format rewards (if you can't extract it, you can't evaluate it)

(Connecting the Dots) RL from 1 example + Other Similar Works

RL from 1 example (one-shot RLVR → big gains from 1 example)



Other Similar works:

- Maximizing Confidence Alone Improves Reasoning

Impact on the Field

Promoted Numerous Community Opinions & discussions

E.g. Comments: "Incorrect Baseline Evaluations", Reproducibility checklist is necessary, high variance with prompting, etc.

- → Enabled the field to reach at some conclusions
- + Also Potentially Improved Spurious Rewards Paper (compared to it's first version)

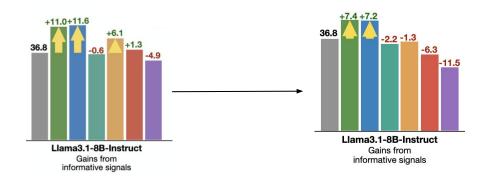
Curious to know how you ran baseline: Qwen-2.5? As per official numbers: Instruct, Math variant **already** performs at 75% & 83.6% on MATH. Is the performance gain only from getting right format in accord with your eval script?

Incorrect Baseline Evaluations Call into Question Recent LLM-RL Claims

Authors*: Nikhil Chandak, Shashwat Goel, Ameya Prabhu *author order is alphabetic.

TL;DR

There has been a flurry of recent papers proposing new RL methods that claim to improve the "reasoning abilities" in language models. The most recent ones, which show improvements with random or no external rewards have led to a lot of surprise and excitement.



Key Takeaways

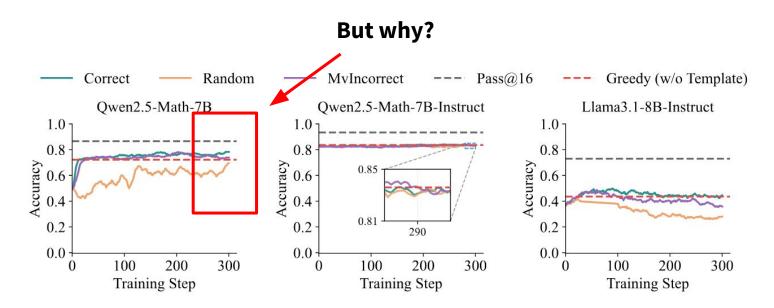
- 1. RLVR with random/incorrect/format rewards can substantially boost MATH performance, notably in Qwen2.5-Math. Effect is not universal across model families.
- RLVR appears to amplify pre-existing strategies (code-style chain-of-thought)
- Optimizer mechanics (GRPO clipping) can turn noise into a directional training signal.
- 4. Don't trust single-model RLVR gains without strict parity controls and cross-model replication, Validate widely and match baselines: control prompts, gen settings, and model families, Optimizer ablations

Reasoning or Memorization?

Wu et. al. 2025

Spurious rewards...are helpful?

- Models can be further improved through some RL
 - Rewards don't have to be accurate to improve Qwen performance!



But why?

Hypothesis #1 -> Data contamination

Parts of evals (i.e., MATH-500) leaked into pre-training data

Hypothesis #2 -> Strong math capacity

Qwen is a strong math model and can deal with "noisy" updates

But why?



Hypothesis #1 -> Data contamination

Parts of evals (i.e., MATH-500) leaked into pre-training data

Hypothesis #2 -> Strong math capacity

Qwen is a strong math model and can deal with "noisy" updates

Qwen memorizes prompts!

Example from MATH-500

Problem: Suppose a and b are different prime numbers greater than 2. How many number divisors are there for the integer $a(2a + b) - 2a^2 + ab$?

Answer: 8



Partial Prompt

Prompt: Suppose a and b are different prime numbers greater than

Qwen2.5-Math-7B Output

2. How many whole-number divisors are there for the integer $a(2a+b)-2a^2+ab$? To determine the number of whole-number divisors of the integer $a(2a+b)-2a^2+ab$, we first need to simplify the expression. Given the expression:

Memorization metrics

1. Partial-Prompt Completion Rate:

Percentage of problems where model re-generates the remainder of prompt based on truncated prompt

2. Partial-Prompt Answer Accuracy:

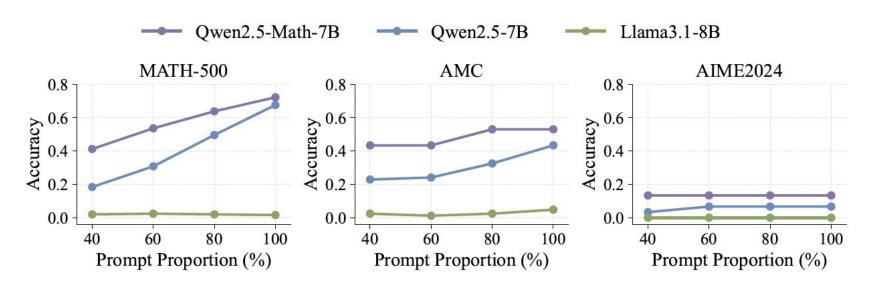
Percentage of problems where model's re-generated output contains correct answer

Memorization results

Model	Dataset	Size	80%-Problem		60%-Problem		40%-Problem	
			RougeL	EM	RougeL	EM	RougeL	EM
Qwen2.5-Math-7B	MATH-500	500	81.25	65.80	78.06	54.60	69.01	39.20
	AMC	83	77.38	55.42	70.25	42.17	75.17	36.14
	AIME2024	30	74.04	56.67	55.31	20.00	57.72	16.67
Llama3.1-8B	MATH-500	500	48.33	17.80	40.55	3.80	32.07	0.60
	AMC	83	44.54	4.82	30.62	0.00	27.10	0.00
	AIME2024	30	50.50	13.33	30.80	0.00	26.08	0.00

Partial-prompt completion rate

Memorization results



Partial-prompt answer accuracy

Hypothesis #1 is correct!

RandomCalculation dataset

5-Step Calculation

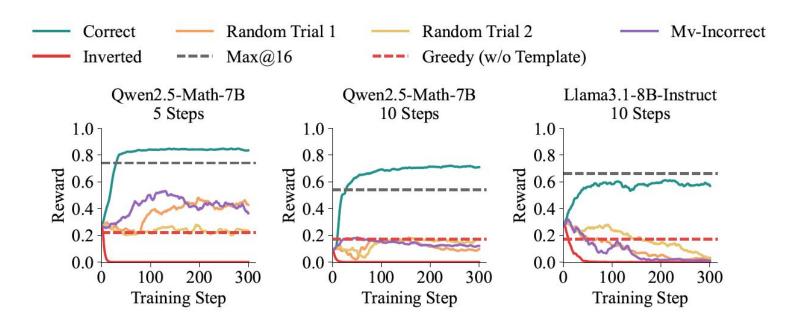
Problem: Evaluate this LaTeX numerical expression step-by-step and give the final value within \boxed{}:

$$45^2 - \frac{94}{6} / (\frac{76}{4} / \frac{19}{5} - 35^3) + 81^2$$

Answer: 8586.00036544592

Reward $r \in [0, 1], not \{0, 1\}$

RandomCalculation results

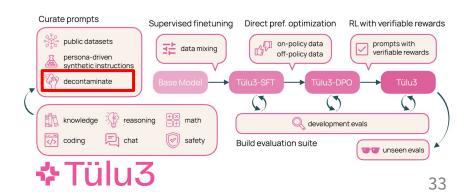


Hypothesis #2 is incorrect!

Impact on the field...

- Quite a recent paper! Difficult to say...
 - RandomCalculation seems to be a bit contrived as a dataset (i.e., it is just arithmetic)
 - Hopefully the work serves as an additional reminder about data contamination!





Takeaways and follow-ups

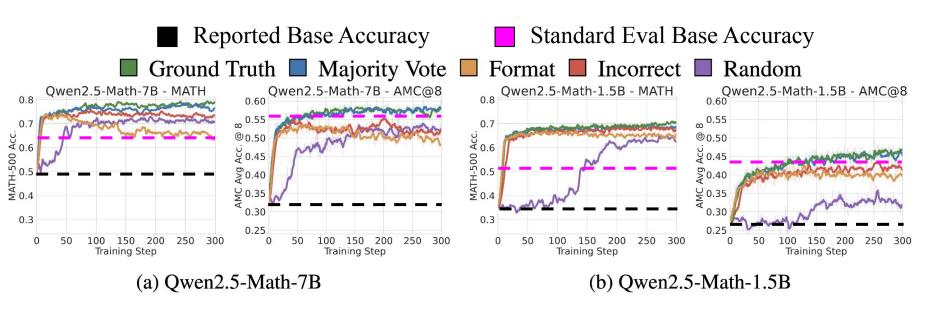
- 1. No free lunch! Real rewards -> better performance
 - Follow-up: can we check for memorization within closed-source models?
- Decontaminate datasets before evaluation!
 - Follow up: RandomCalculation only deals with math (i.e., just arithmetic). How would observations change for domains like physics, logic, etc.?

Critic - Spurious Rewards

#1.1 The baseline is not as high as it should be

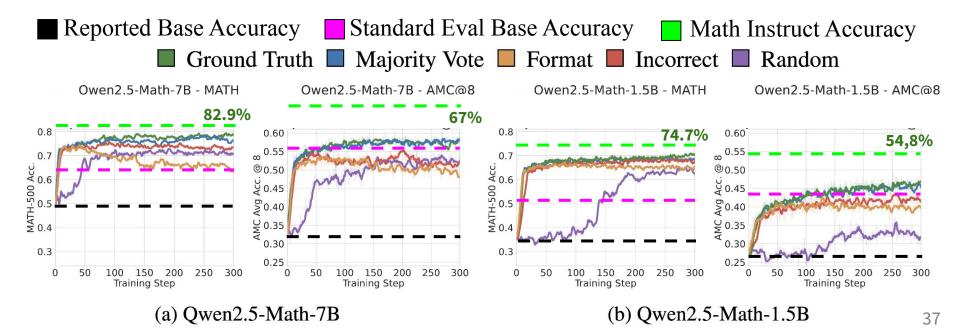
Base results are much worse than standardized evaluations from <u>Sober Reasoning</u> (<u>blog post</u>)

→ Is spurious reward RL just recovering the lost performance?



#1.2 Did not use Qwen2.5-Math-Instruct

Instruct version of Qwen2.5-Math model performs far better than Base + SFT → Would spurious reward RL still work in this case?



#1.3 Code reasoning not causally related to performance

Claim: "Increased code reasoning is one primary driver of performance gains for spurious rewards"

- "Reasoning or Memorization" paper points out performance come from memorization/contamination
- Code reasoning is a behavior in the base Qwen2.5-Math model
- RL with spurious rewards reinforce high-prior pre-trained behavior (like code reasoning)

My take: Code reasoning and performance gain could be artifact of pre-training data and memorization. Inhibiting and inducing code reasoning is just pushing memorization

Critic for "Spurious Rewards" – Overview

- The baseline is not as high as it should be (blog post)
- Didn't test Qwen2.5-Math-Instruct models
- Code reasoning frequency might not be causally related to performance, but just a correlation through memorization

Prop - Spurious Rewards

Contribution 1: Fake Rewards Have Positive Effect

- In the abstract, the authors mention that "spurious rewards have little, no, or even negative correlation with the correct answer".
- The paper does not claim spurious rewards are superior to correct ones, but demonstrates that:
 - Compared to an untrained baseline, even spurious rewards can provide positive learning gains.
 - This counter-intuitive finding challenges traditional assumptions about reward signal quality in RL.
- The Reasoning or Memorization paper is based on the conclusion of this one.

Contribution 1: Fake Rewards Have Positive Effect

- Reward Design:
 - Multiple types of spurious reward signals were used for training.
- General Observations: Effectiveness is model-dependent.
 - Works reasonably well on Qwen, but often fails on other models like
 OLMo and Llama 3.2.
 - Even on Qwen, not all spurious signals are effective.

Contribution 2: Why Qwen Successfully Converge?

- The foundation is pre-training: The effectiveness of spurious rewards is highly dependent on the model's inherent, pre-existing internal reasoning capabilities.
- Hypothesis: Qwen acquired the powerful strategy of code-augmented reasoning during pre-training.
- Parallel Insight from CodeIO:
 - This finding strongly aligns with the insight from CodeIO: Using code as an intermediate representation can robustly enhance model reasoning and generalization.
 - Related Work: CodeIO: https://arxiv.org/pdf/2502.07316v2

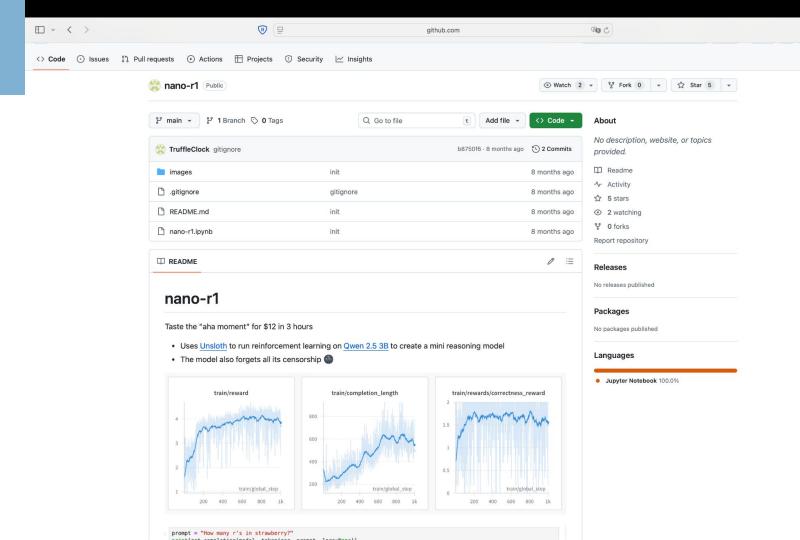
1.1 The baseline is not as high as it should be

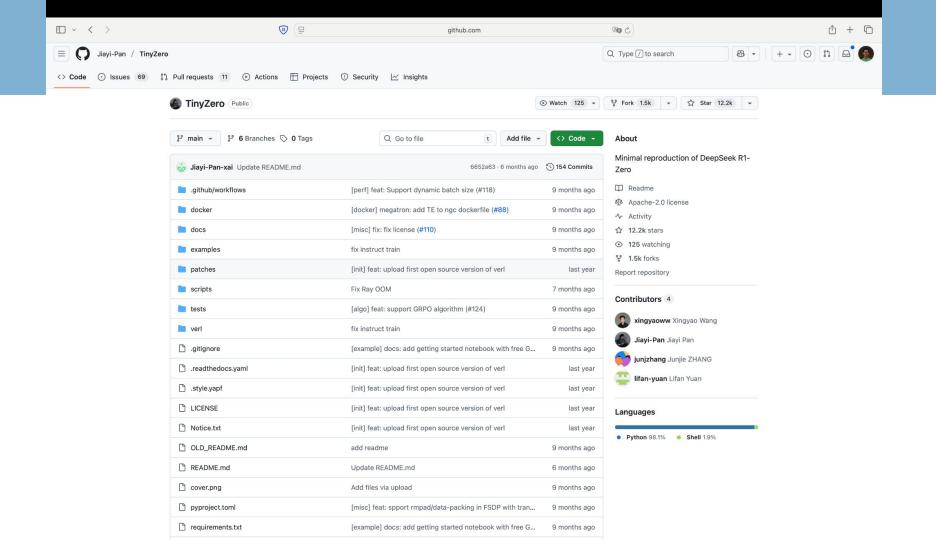
- Few shot is probably the key of high eval values
- From my own evaluation the baseline is authentic (standard evaluation, 0 shot).

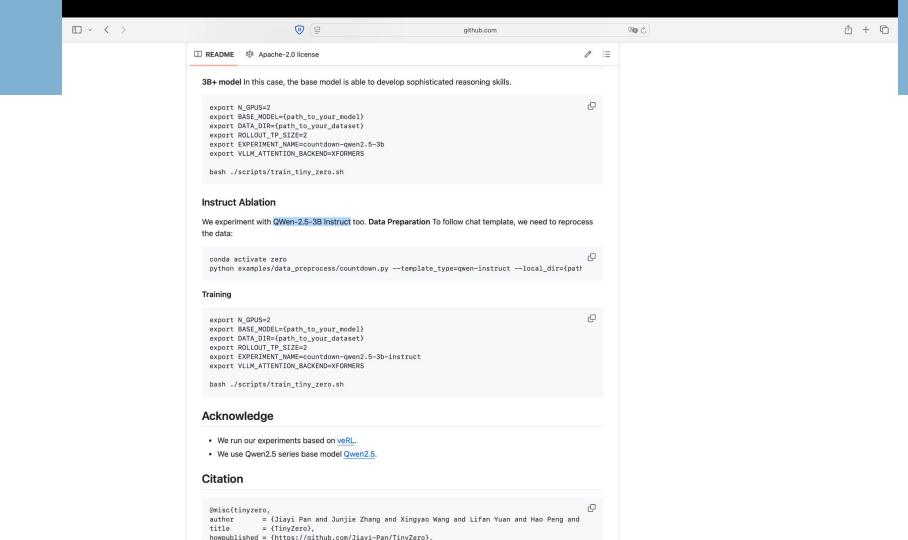
```
INFU compiled_dag_node.py:2198
(run_inference_one_model pid=1381941) 2025-10-01 05:26:17,115
                                                            INFO compiled_dag_node.py:2201
Splits: 100%|
[2025-10-01 05:26:34,494] [
                            INFO]: --- COMPUTING METRICS --- (pipeline.py:498)
[2025-10-01 05:26:44,664] [
                            INFO]: --- DISPLAYING RESULTS --- (pipeline.py:540)
        Task
                    |Version|
                                  Metric
                                                |Value |
                                                          |Stderr|
                      ----:|------:|----:|----:|----:|
lall
                           | math_pass@1:1_samples | 0.5580 | \pm
                                                          10.02221
                           |math_pass@1:4_samples|0.5555|±
                                                          10.01691
|lighteval:math_500:0|
                          2|math_pass@1:1_samples|0.5580|± |0.0222|
                           | math_pass@1:4_samples | 0.5555 | \pm | 0.0169 |
[2025-10-01 05:26:44,682] [
                             INFO]: --- SAVING AND PUSHING RESULTS --- (pipeline.py:530)
[2025-10-01 05:26:44,682] [
                             INFO]: Saving experiment tracker (evaluation_tracker.py:196)
[2025-10-01 05:26:46,595] [
                             INFO]: Saving results to /rscratch/yuezhouhu/data/evals/Owen/Ow
```

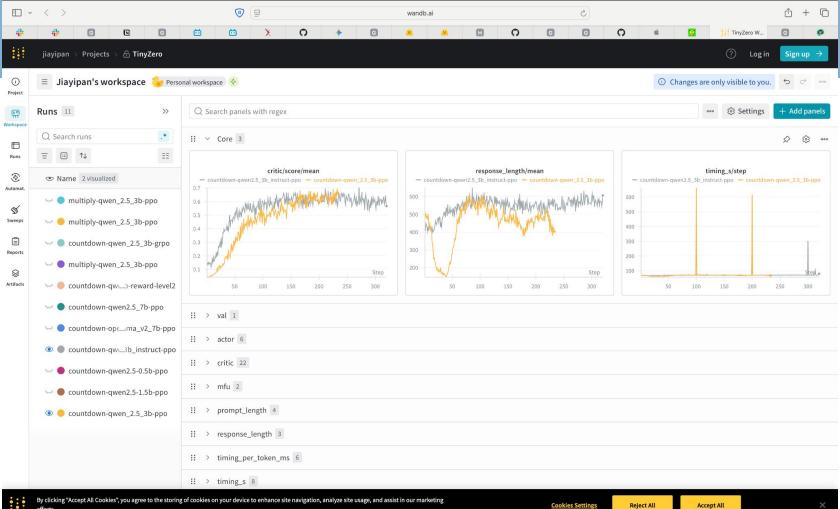
1.2 Did not use Qwen2.5-Math-Instruct

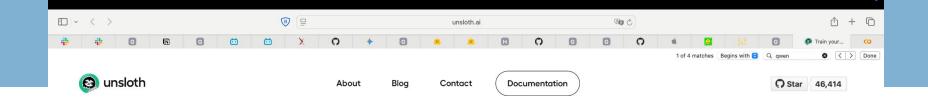
- Instruct models are already trained with RL. It's meaningless to start from instruction-following models.
 - Shown in "reasoning or memorization" paper
- Starting RL from base model is a standard operation by many following works (e.g. DeepSeek R1 Zero).
- Even with instruction-following models, relative study can steadily reproduce the results.











Blog

Train your own R1 reasoning model with Unsloth (GRPO)

Feb 6, 2025 • By Daniel & Michael

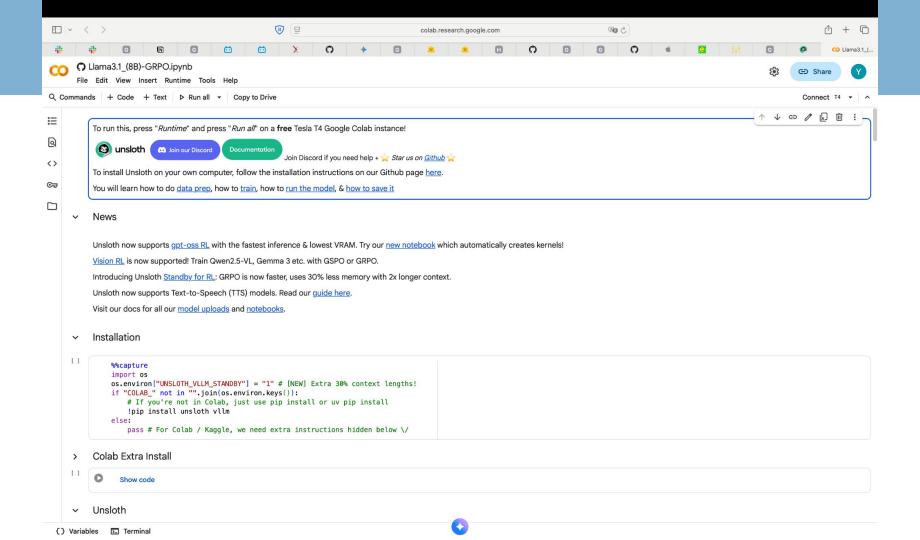
Feb 20, 2025 Update: You can now train your own reasoning model with just 5GB VRAM (down from 7GB VRAM) + 10x longer context lengths with Unsloth! Read update here!

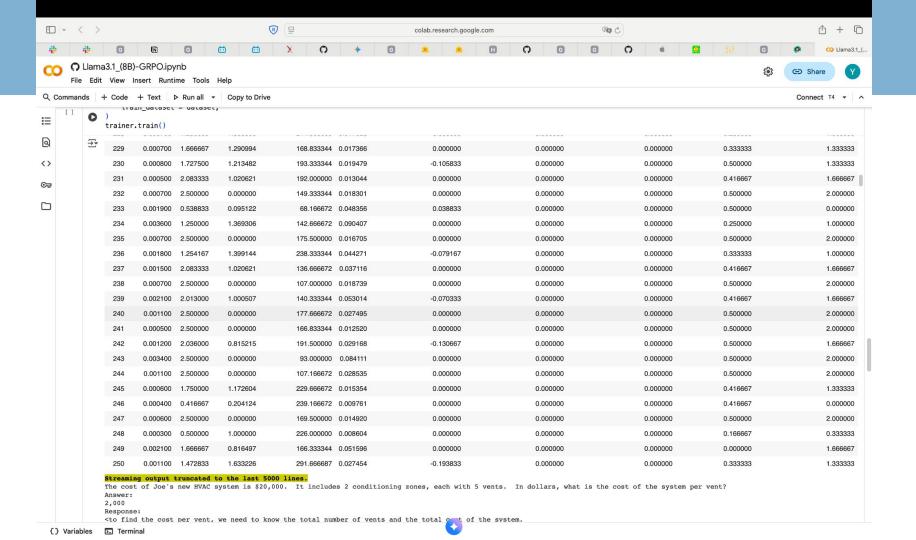
View our step-by-step Tutorial in our docs here!

Today, we're excited to introduce reasoning in <u>Unsloth!</u> DeepSeek's R1 research revealed an "aha moment" where R1-Zero autonomously learned to allocate more thinking time without human feedback by using Group Relative Policy Optimization (GRPO).

We've enhanced the entire GRPO process, making it use 80% less VRAM than Hugging Face + FA2. This allows you to reproduce R1-Zero's "aha moment" on just 7GB of VRAM using Qwen2.5 (1.5B).







1.3 Code reasoning not causally related to performance

- Chain of thought can be whatever the model feels "necessary" to do reasoning.
- "Code reasoning is just pushing memorization": not necessarily

Further analysis hints at the origins of this reasoning behavior: Qwen2.5-Math-7B maintains accuracy when faced with numerical variations in questions from common math benchmarks—correctly predicting answers when different numbers are substituted in the original problems, echoing existing literature (Huang et al., 2025). Furthermore, the model can often produce complex numerical answers with high precision when predicting code outputs, as shown in Figure 21, 20. However, when those questions are reformulated with an alternative narrative, the model stops utilizing code reasoning approaches, as shown in Figures 26, 27, 28. Hence, we conjecture that Qwen2.5-Math-7B has seen many code-assisted math reasoning traces during pre-training.

Prop - Reasoning or Memorization

Proponent for "Reasoning or Memorization" – Overview

The paper is well-structured and conveys two points well.

- 1. **Data contamination, or strong math capabilities?** The data contamination experiment is well-carried out and persuasive
 - a. First demonstrated that the issue exists
 - b. Then showed that spurious rewards' observation no longer holds with a new clean dataset
- 2. Why does random reward retrieve memorized answers?
 - Good mathematical intuition proposed in Section 4.4
 - GRPO is the cause of eliciting memorized answer; along the line of "Spurious Rewards" Section 4.4.2; but instead of code-reasoning elicitation (Shao et al., 2025), it is memory elicitation
- Question: why does memorization and code reasoning appear together?
 See figures 12-14

#1.1 Data contamination – Proving this issue exists

 Figure 1 and Table 2 should be enough to prove it

Table 2: Accuracy (Exact Match, EM) and ROUGE-L scores on several datasets (lower scores in gray) under different prompt prefix ratios in greedy decoding mode without applying chat template, namely *Greedy (w/o Template)* configuration.

Size

Dataset

80%-Problem

60%-Problem

					RougeL	EM	RougeL	EM	RougeL	EM
			MATH-500	500	81.25	65.80	78.06	54.60	69.01	39.20
Example from MATH-500		Qwen2.5-Math-7B	AMC	83	77.38	55.42	70.25	42.17	75.17	36.14
Problem: For how many positive integers $n > 1$ is it true that 2^{24} is a perfect n^{th} power? Answer: $\boxed{7}$			AIME2024	30	74.04	56.67	55.31	20.00	57.72	16.67
			AIME2025	30	54.71	16.67	34.88	0.00	27.43	0.00
			MinervaMath	272	36.08	2.94	31.22	0.37	29.35	0.00
Partial Prompt			LiveMathBench	100	42.76	5.00	32.78	0.00	29.97	0.00
Prompt : For how many positive integers $n > 1$ is		Qwen2.5-7B	MATH-500	500	66.42	40.20	60.98	21.20	50.36	8.20
			AMC	83	73.24	49.40	64.42	33.73	63.79	28.92
			AIME2024	30	59.80	30.00	48.69	13.33	44.65	10.00
Qwen2.5-7B Output	Llama3.1-8B Output	Quenza 15	AIME2025	30	54.61	10.00	37.59	0.00	30.30	0.00
it true that 2^{24} is a perfect n^{th} power?	the set of positive divisors of n (including 1 and n) less than 50? (A) 15 (B) 16 (C) 17 (D) 18 (E) 19 The number of positive divisors of n is given by The number of factors of each of these numbers is The answer is (B) 16		MinervaMath	272	35.24	2.94	32.35	0.37	27.89	0.00
To determine for how many positive integers $n > 1$ the number 2^{24} is a perfect n -th power			LiveMathBench	100	41.15	4.00	32.74	0.00	27.95	0.00
		Llama3.1-8B	MATH-500	500	48.33	17.80	40.55	3.80	32.07	0.60
First, we need to find			AMC	83	44.54	4.82	30.62	0.00	27.10	0.00
Let's count these values. There are 7			AIME2024	30	50.50	13.33	30.80	0.00	26.08	0.00
such values			AIME2025	30	47.04	10.00	33.49	0.00	25.20	0.00
The final answer is $\boxed{7}$.			MinervaMath	272	36.24	2.21	29.52	0.00	27.11	0.00
The final answer is [7].			LiveMathBench	100	35.55	5.00	31.93	0.00	26.88	0.00

Model

#1.1 Data contamination – experiments on a clean dataset

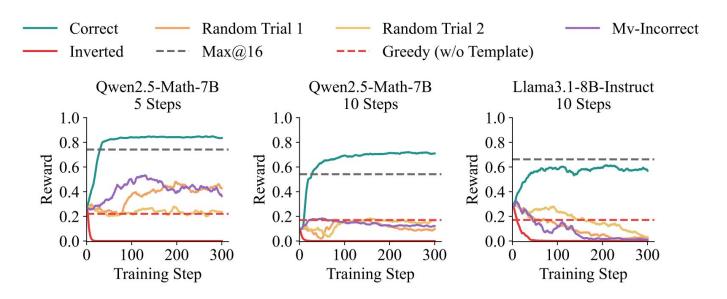


Figure 7: Reward of Qwen2.5-Math-7B and Llama3.1-8B-Instruct on *RandomCalculation*. Results are presented for datasets with 5-step and 10-step calculations.

Created a new dataset RandomCalculation, and spurious reward observation no longer holds

#1.1 Data contamination – some points worth mentioning

- Admittedly, RandomCalculation is a bit contrived only arithmetics
 - But regardless, with correct label, RL demonstrates increase in performance as expected, so it is still a valid experiment
- Indeed, it would be more persuasive if they run experiments on say, LiveMathBench, which does not have much contamination

#2.1 Random reward exposes memorization – Maths

- The authors gave good intuition for understanding why random reward makes the model retrieve memorized content
- Full Maths in Section 4.4, but some quotes. With clipped objective:
 - "high-probability tokens continue to be up-weighted without penalty"
 - "GRPO with random reward can retrieve these answers after learning format and leads to sharp accuracy jump"
 - "clipped objective introduces systematic exploitation bias for high-probability tokens, whereas mid-probability tokens are less optimized"

#2.2 Random reward exposes memorization – KL

- Similarity in MATH-500 is higher than in RandomCalculation after RL
- "Performance surge under spurious rewards arises because GRPO inadvertently triggers Qwen to retrieve memorized answers, rather than stimulating Qwen's existing reasoning patterns like codes as explained in Shao et al. (2025)."
- Do we see code reasoning after RL on RandomCalculation?

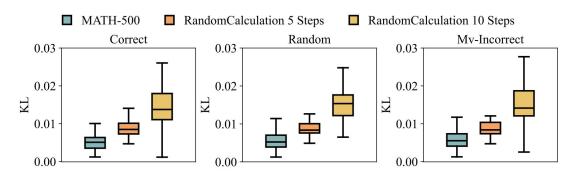


Figure 8: KL distance of model outputs before and after RL.

#3 Side note: Why do memorization and code reasoning appear together?

 Figures 12-14 demonstrate the same observation in MATH-500, AMC, AIME 2024

Example from AMC

Problem: What is the value of

$$2^3 - 1^3 + 4^3 - 3^3 + 6^3 - 5^3 + \dots + 18^3 - 17^3$$
?

Answer: 3159.0

Partial Prompt

Prompt: What is the value of

$$2^3 - 1^3$$

Qwen2.5-Math-7B Output

$$+4^3 - 3^3 + 6^3 - 5^3 + \dots + 18^3 - 17^3$$
?

To solve the given problem, we need to evaluate the alternating sum of cubes:

$$2^3 - 1^3 + 4^3 - 3^3 + 6^3 - 5^3 + \dots + 18^3 - 17^3$$
.

We can break this down into pairs of terms and compute the difference for each pair. Specifically, we need to compute:

$$(2^3 - 1^3) + (4^3 - 3^3) + (6^3 - 5^3) + \dots + (18^3 - 17^3).$$

Let's write a Python code to compute this sum.

```
# Initialize the sum
result = 0

# Iterate through the pairs (2,1), (4,3), (6,5), ..., (18,17)
for i in range(1, 18, 2):
    result += ( (i+1)**3 - i**3 )

print(result)
```

output

3159

The value of the given expression $2^3 - 1^3 + 4^3 - 3^3 + 6^3 - 5^3 + \cdots + 18^3 - 17^3$ is $\boxed{3159}$.

Figure 13: **Memorization Example of Qwen2.5-Math-7B on AMC.** In this case, the first 40% of the original problem is used as the prompt, and the generation is performed under the *Greedy (w/o Template)* configuration.

Critic - Reasoning or Memorization (prasann)

Critic: "Reasoning or Memorization" (overview)

- The paper's claim about memorization is interesting, but the investigation only shows this at a surface level, and doesn't go as deep as it could
- "Why": Mathematical intuition can be misleading and isn't a substitute for experiments
- RandomCalculation is extremely toy, performance on it doesn't build evidence for their hypothesis, and the task is not really a contribution
- Narrow eval scope (only 2 model families), common problem in reasoning

1.1: "Data contamination or math capabilities"

- KL and self-bleu is pretty weak evidence for memorization (e.g. SFT on the test set would prob have higher values)
- What counts as contamination?
 - E.g. if there's similar (but non-identical)
 data in training, does that count?
 - The paper could've been much stronger if they could re-create a case where we *know* of contamination and show similar patterns

Dataset	Reward Signal	ROUGE-L		
	Correct	0.555		
MATH-500	Random	0.601		
	Correct Random Mv-Incorrect Correct Random Mv-Incorrect Correct Random	0.563		
RandomCalculation 5 Steps	Correct	0.225		
	Random	0.247		
	Mv-Incorrect	0.251		
	Correct	0.193		
RandomCalculation 10 Steps	Random	0.251		
	Mv-Incorrect	0.279		

Table 3: Similarity of model outputs before and after RL.

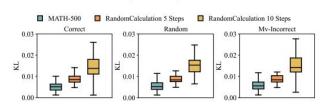


Figure 8: KL distance of model outputs before and after RL.

1.1: "RandomCalculation"

- This setting is very artificial, and may be completely independent of the other reasoning settings
- Prior RLHF work has examined extremely similar settings, so this is not a contribution (they frame this as 2 out of 4 of their contributions)
- They don't give actual evidence of it not being contaminated
 - We propose an automatic generator that creates arbitrarily long arithmetic expressions. Zeroshot evaluation on this dataset exposes the absence of memorization, enabling fair assessment of RL methods.
 - Using this clean dataset, we conduct RL experiments and demonstrate that only correct reward yields stable improvement, whereas spurious rewards provide no benefit.

Other Problems

- They don't actually connect why memorization is supported by random rewards with experiments, despite having some "mathematical intuition"
- They only experiment with 2 model families. This leaves an incomplete picture of how much this affects the field.

4.4 MORE EVIDENCE FOR MEMORIZATION

Here, we provide more detailed analyses of Qwen's sudden performance gains on MATH-500 under random reward. Let $\mathcal{J}_{\text{CLIP}} = \mathbb{E}_{\hat{A}_{i,t}} \Big[\min \Big(r_{i,t} \hat{A}_{i,t}, \text{clip} \left(r_{i,t}, 1 - \epsilon, 1 + \epsilon \right) \hat{A}_{i,t} \Big) \Big]$, where $\hat{A}_{i,t}$ is a random variable under the setup of random reward. Referring to Appendix B of Shao et al. (2025), the gradient of the clipped policy has the following format:

$$\nabla_{\theta} J_{\text{CLIP}} = \nabla_{\theta} r_{i,t} \cdot G(r_{i,t}), \tag{2}$$

$$G(r_{i,t}) = \begin{cases} \mu, & r_{i,t} < 1 - \epsilon, \\ 0, & 1 - \epsilon \le r_{i,t} \le 1 + \epsilon, \\ -\mu, & r_{i,t} > 1 + \epsilon, \end{cases}$$
(3)

where $\mu > 0$ is a positive coefficient, $r_{i,t} = \frac{\pi_{\theta}(o_{i,t}|q,o_{i,< t})}{\pi_{\theta_{\text{old}}}(o_{i,t}|q,o_{i,< t})}$.

Overall

- The blog brings up issues in baselines w.r.t formats and sampling hyper-params. These concerns are extremely important / valid
- Both papers show signs of counterintuitive results and weaknesses of limited evaluation in reasoning
- They align with the same overall takeaway: Reasoning is a very narrow subfield of NLP with a lot of bad practices! Proceed with caution

Plannings

Spurious Rewards (Critique)

- The baseline is not as high as it should be (blog post)
- didn't use instruct model
 - From the blog: "However, for Llama the instruct model was tested, while for Qwen it was the base which might be a critical difference, as instruction-tuning already elicits base model capabilities to a large extent. The equivalent instruct numbers in Qwen models are also significantly higher than the performance their methods elicit."
- Code reasoning frequency might not be causally related to performance, but just a sign of memorization (second paper's figures 12-14)

Reasoning or Memorization (Defend)

- Data contamination experiment
 - The fact that they can complete the problem (Table 2)
 - The fact it only works for datasets released before Qwen2.5 was released
 - The fact that spurious reward does not generalize to RandomCalculation (Figure 7)
- Trying to justify GRPO eliciting memorized answer (Figure 8)
 - "Therefore, performance surge under spurious rewards arises because GRPO inadvertently triggers Qwen to retrieve memorized answers, rather than stimulating Qwen's existing reasoning patterns like codes as explained in Shao et al. (2025)."
 - 4.4 maths intuition along the line of spurious rewards' maths
- Not really conflicting look at figures 12-14, memorized + code
- Shared: spurious rewards upweight pre-existing characteristics (memorized content vs. reasoning strategies)
 - Both used maths to justify (spurious reward page 12)
- For some reason, memorization and code reasoning appear together why is that? The pre-train data uses code to solve maths?

Questions and Moderation

- Refer Tweets?
- Refer blogs?

-

Reasoning models

- From Slack: Not everyone in class may be familiar with the general reasoning model training process, so try to give a short overview about it. (The previous class covers reasoning models already, so I don't think it has to be long, but it can be a short recap.)
- A small animation here might be useful

Notes for discussion

- Ask critics of spurious:
 - [Harman]
- Ask prop of spurious:
 - [Harman]

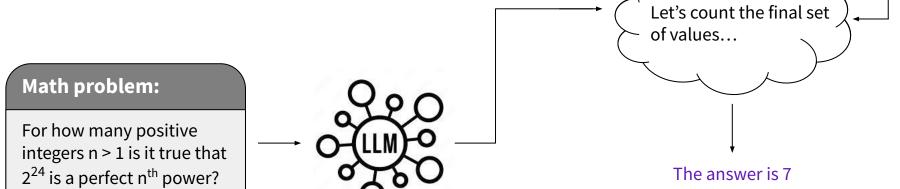
- Ask critics of memorization:
 - [Dennis]
- Ask prop of memorization:
 - [Dennis]

Reasoning models summary

One implementation of test-time compute...

Use RL to "reason" at test time (essentially an internal chain of

thought)



Impact on the Field

Don't trust single-model RLVR gains without strict parity controls and cross-model replication

- Match pre/post evaluation exactly
- 2. Test across multiple base models
- Optimizer ablations: report runs with clipping on/off, PPO vs other optimizers
- 4. ...